

## **Research Article**

### **Configuration Research of Centering Device Effected by Viscoelastic Fluid**

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**Abstract:** The polymer flooding can improve the oil production at the late stage of oilfield development but this viscoelastic behavior of the polymer solution will cause sucker rods eccentric wear and break off., which can shorten the cycle of pump inspection. In this paper, we studied the influence of those stress factors on the rod according to the force analysis of rod during down stroke, established mechanical model, and find out advisable interspacing that centering device should be arranged by using MATLAB to program and calculate. In this way can extend the cycle of pump inspection, and can lay a foundation for further investigation.

**Keywords:** polymer flooding, normal force, centering device, anti-eccentric, viscoelasticity, MATLAB

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#### **INTRODUCTION**

With oilfield development has gone into middle and final stages, In order to meet the requirements of oil well production, most oil field are using the oil production technology of polymer flooding, which obtained better displacement characteristics. But it also brought some new problems that polymer flooding during oil recovery process, such as compared with water flooding, the property of polymer solution is complicated. The maximum difference of polished rod load is increased, the loading condition on rod is deteriorated, the eccentric wear on rod is serious, all that will shorten the cycle of pump inspection, affect the oil production, and increase the operation cost, even cause a series of engineering problems[1]. Therefore, studying the force conditions of rod in polymer flooding oil wells, preventing pumping rod and oil tube from eccentric wear will be of great importance in achieving oil field high and stable yield and improving the whole benefit.

It discovers that the rational distribution of centering device is one of the most effective way to slow down eccentric wearing according to field application. It directly affects the applications whether the laying position of centering device is reasonable. There are some problems in the current application, the position and spacing of centering device is in general determined by experience. Many domestic and overseas scholars conducted a significant amount of studies on technological theories of preventing pumping rod and oil tube from eccentric wear. But since the force conditions of rod in polymer flooding oil wells are very complex, there is less research about this area. So in this paper based on the consideration of normal force caused by viscoelastic fluid, synthesizes other stress factors, establishes mechanics analysis model, we obtain advisable interspacing that centering device should be arranged under different oil well parameters by means of programming in MATLAB, which can increase the life of oil tube and pumping rod, and extend the cycle of pump inspection, so it can bring immeasurable economic benefits to the long-term development of the oilfield.

#### **FORCE ANALYSIS**

During down stroke, the standing valve of the pump is off, travel valve is on. The sucker rod string is influenced by longitudinal bending concentrated load and axial uniformly distributed load, the upper of it is in tension and lower under pressure, thus at a certain depth position exist a balance between tension and pressure, that is neutral point. The sucker rod string can be considered slender bar, it will become local bending-buckling below the neutral point of a sucker rod string. Due to the restriction of oil tube to radius of buckling, rod string will generate bending stress, resulting eccentric wear[2].

(1)  $P_w$ , the axial concentrated load at the bottom of the rod string, consists of semi-dry friction,  $P_f$  that forces on the pump barrel and plunger piston, hydraulic resistance,  $P_v$  that generated by well fluid flowing through the travel valve, and liquid differential pressure,  $P_y$  that acting on the upper and lower surfaces of pump plunger in the tubing[3].

①  $P_f$ , semi-dry friction between pump barrel and plunger piston:

$$P_f = 0.94 \frac{D_p}{\delta} - 140 \quad (1-1)$$

Where,  $D_p$ —Pump plunger diameter, mm.

$\delta$ —Fit clearance between piston and liner, mm.

②  $P_v$ , hydraulic resistance that generated by well fluid flowing through the travel valve:

$$P_v = \frac{1.5n_k}{729\mu^2} \cdot \frac{A_p^3 \left(1 - \frac{A_0}{A_p}\right)}{A_0^2} (s \cdot n)^2 \cdot \rho_L \quad (1-2)$$

Where,  $n_k$ —The number of travel valve.

$\mu$ —Coefficient of flow, can obtain by following calculation formula:( if  $R_e \leq 3 \times 10^4$  )  $\mu = 0.28$ , (if  $\mu = 0.28$ )  $\mu = 0.37 - \ln R_e - 1.38$ . There into,  $R_e$  is Reynolds number, calculating formula is

$$R_e = 52.36 \cdot n \cdot s \cdot \rho_L \cdot \frac{D_p^2}{d_0 \cdot \mu_c}, \text{ there } d_0 \text{ is traveling valve diameter, mm, } \mu_c \text{ is well fluid viscosity, } Pa \cdot s.$$

$A_p, A_0$ —Sectional area of pump plunger, traveling valve hole,  $m^2$ .

$s$ —Stroke, m.

$n$ —Times of stroke,  $\text{min}^{-1}$ .

$\rho_L$ —Well fluid density,  $\text{kg}/m^3$ .

③  $P_y$ , liquid differential pressure that acting on the upper and lower surfaces of pump plunger:

$$P_y = A_r \cdot L_p \cdot \rho_L \cdot g \quad (1-3)$$

Where,  $A_r$ —Cross-sectional area of sucker rod,  $m^2$ .

$L_p$ —Depth of plunger, m.

$g$ —Acceleration of gravity,  $m/s^2$ .

From the foregoing, longitudinal bending concentrated load of the bottom of the pump is:

$$P_w = P_f + P_v + P_y \quad (1-4)$$

(2) Axial uniformly distributed load that act in body of rod,  $q_x$  include  $q_g$  that self-weight of sucker rod,  $q_f$  that buoyancy of rod in well fluid,  $q_v$  that oil drag, and  $q_l$  that inertial force generated during the rod movements, etc.

① Self-weight of sucker rod  $q_g$ :

$$q_g = A_r \rho_r g \quad (1-5)$$

Where,  $\rho_r$ —Rod density,  $\text{kg}/m^3$ .

② Buoyancy of rod in well fluid  $q_f$ :

$$q_f = A_r \rho_L g \quad (1-6)$$

③ The friction between rod and well fluid  $q_v$ :

$$q_v = 2\pi\mu_c \frac{m^2 - 1}{(m^2 + 1) \ln m - (m^2 - 1)} v_{\max} \quad (1-7)$$

Where,  $m$ —Tubing inside diameter to Rod diameter ratio, that is  $m = \frac{d_t}{d_r}$ , of which  $d_t$  is tubing inside diameter, mm.

$d_r$  is rod diameter, mm.

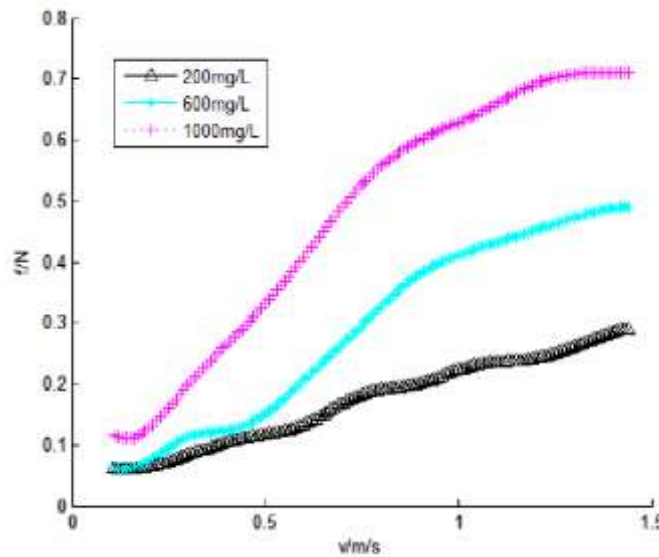
$v_{max}$  —Maximum operating speed of pump plunger, when consider suspension center as simple harmonic

motion,  $v_{max} = \frac{s}{2} \omega = \frac{\pi s n}{60}$ , m/s.

④ Inertial force generated during the rod movements  $q_I$ :

$$q_I = \frac{\pi d_r^2}{4} \cdot \rho_r \cdot \frac{s}{2} \left( \frac{2\pi n}{60} \right)^2 \tag{1-8}$$

(3) Horizontal uniformly distributed load generated during the rod movements, which main caused by polymer solution.



**Fig-1: The impact of different concentration polymer solution on normal force at different flow velocity**

Polymer solution blongs viscoelastic fluid, it has both the viscosity and elastic properties, which lead to a normal force always on the rod during the movements, this force is one of the reason that rod string bending and abrasion. But since the complexity of viscoelastic fluid, it is difficult to obtain the relationships of movement rule for normal force by creating a mathematical equations. Thus, in this paper, though establishing pump simulated experimental equipment in the laboratory, and simulating the actual working conditions in oil wells. We have prepared respectively polymer solution of 200mg/L, 600mg/L, and 1000mg/L to study the impact of different concentration polymer solution on normal force, ignoring the impact of rod initial eccentricity, Figure 1 shows the variation of normal force measured at different flow velocity, changing curves are fitted by using cubic spline interpolation, which can determine the magnitude of normal force of different concentration polymer solution at different flow velocity.

**MECHANICAL MODEL**

**Ignoring the effect of polymer concentration**

During down stroke, rods below the neutral point always under pressure, we will build the simple beam model by treating both ends of rod as articulated arm joint, ignoring the effects of axial uniformly distributed load and polymer solution. To prevent rods become deformed lack of stability, we adopt the principle of columns, from the bottom of the pump, the critical span that rods buckling deformation could be calculated from known critical load by formula (1-9), iterate step by step to neutral point.

$$L_i = \sqrt{\frac{\pi^2 EI}{P_i}} \tag{1-9}$$

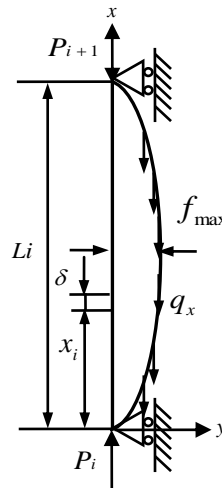
Where,  $E$  —Rod elastic modelling quantity, approximately equals  $2.1 \times 10^{11}$  Pa .

$I$  —Polar moment of inertia of rod between adjacent centraliser,  $m^4$  .

$P_i$  —Critical bucking load of the  $i$ th simple beam, N .

**Considering the effect of polymer concentration**

Build the simple beam model, take any span of simple beam analysis, as shown in figure 2.



**Fig-2: The vertical well simple beam model considering the effect of uniformly distributed load and normal force**

Set the approximately flexure line equation of rod in the model is:

$$y_i = \sum_{n=1}^{\infty} A_n \sin \frac{n\pi x_i}{L_i} \tag{1-10}$$

Conclude destabilization equation adjacent centraliser according to elasticity stability theory:

$$\frac{8q_y L_i^4}{2\pi^5 EI - 2\pi^3 P_i L_i^2 - \pi^3 q_x L_i^3} - \frac{d_t - d_r}{2} = 0 \tag{1-11}$$

Where,  $q_x$ —Axial uniformly distributed load,  $q_x = q_g - q_f - q_v - q_l$ , N/m .

$q_y$ —horizontal uniformly distributed load, which is related to liquid producing capacity and polymer concentration,  $q_y = f$ , N/m .

**SOLUTION METHOD**

(1) Take the bottom of pump as the fundamental point, set initial value  $i=1$ , then  $P_1 = P_w$ , plug  $P_1$  into the equation (1-11), and obtain the distance  $L_1$  of the laying position that first centering device from the bottom of pump by solving the equation.

(2) By analyzing the rod force condition from the  $i$ th simple beam, we find out the  $(i+1)$ th mechanical calculation meet the formula  $P(i+1) = P(i) - q_x \times L(i)$ , and plug that into the equation (1-11) will get the other simple beams axial load  $P_i$  and length  $L_i$  by means of successive iteration.

(3) We stop calculating when  $P_i \leq 0$ , that is  $\sum_{i=1}^n L_i \geq L_x$ , indicates that the force on rods has reach the location  $L_x$  of neutral point, rods above it is always in tension, there can be no problem of instability.

(4) On the basis of above preliminary calculation results, considering the effect of well fluid on way resistance as well as local resistance caused by Installing centralizer, change the lower load  $P_w$  of pump, repeat the above steps to recalculate and optimize the calculational results of arrangement distance of centering device, that computational solutions are rounded to the integers,  $L_i=2m$  if  $2m \leq L_i < 3m$ ,  $L_i=3m$  if  $3m \leq L_i < 4m$ , And by this analogy, get the final reasonable arrangement interval.

**CALCULATIONAL EXAMPLES**

The research method of this paper is using Matlab to program and calculate, import the fundamental parameters of each well into Matlab software in MAT format, and run the computer program, the value of each variable can be viewed in the workspace of Matlab software. Three wells parameter of the oilfield as shown in table 1.

**Table 1 original fundamental parameter of oil wells**

Well	Pipe	Rod	Pump	Depth of	Water	Stroke	Times	Liquid	Polymer
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No.	Diameter /mm	Diameter /mm	Diameter /mm	Plunger /m	Percentage /%	/m	of Stroke /min <sup>-1</sup>	Producing Capacity /m <sup>3</sup> /d	Concentration /mg/L
J1	62	22	44	800	90	3	6	34	200
J2	62	22	44	800	90	3	9	68	1000
J3	62	22	57	1000	90	3	6	110	200

The reasonable arrangement interval of centering device for each well as shown in table 2 and table 3.

**Table 2 The arrangement interval of centering device Ignoring the effect of polymer concentration**

Well No.	Interval /2m	Interval /3m	Interval /4m	Interval /5m	Interval /9m	Number of Centralizer
J1	17	13	5	4	2	41
J2	21	13	5	4	2	45
J3	35	13	5	4	2	59

**Table 3 The arrangement interval of centering device considering the effect of polymer concentration**

Well No.	Interval /2m	Interval /3m	Interval /4m	Interval /5m	Interval /9m	Number of Centralizer
J1	19	15	6	11	1	52
J2	23	20	12	8	1	64
J3	38	16	5	5	5	69

## CONCLUSIONS

At present, most of the oil fields take a method that a rod is placed one centraliser according to operation experience, and we can see the problem of eccentric wear at the position of 20 rods from the bottom of pump remains serious. Therefore, in this paper, we put forward a method based on the column buckling theory, considering the object matter that rod in the polymer solution might be affected by radial and axial uniformly distributed load, and its results are more aligned with the status in the field. It can be concluded from above computational solution of three wells:

(1) Closer arrangement distance of centraliser near the bottom of the pump, the interval increasing close to the neutral point, there is no need to install centraliser because of rod always in tension above neutral point.

(2) The results of two methods were similar, by comparing the analysis, it requires more centraliser while considering the effect of polymer concentration.

(3) Depth of plunger, times of stroke, liquid producing capacity, and polymer concentration, which are suggested that it have a great impact on force condition from computational data, those are significant considerations in study of preventing pumping rod and oil tube from eccentric wear.

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